

# Means and Values of Nodes

## Question

How does BayesiaLab calculate the Means and Values in the **Monitors**? What is the difference?

## Answer

For each node that has values associated with its states, an Expected Value  $V$  is computed by using the associated values and the marginal probability distribution of the node  $V = \sum_{s \in S} p_s \times V_s$  where  $p_s$  is the marginal probability of state  $s$  and  $V_s$  is its associated value.

This *Expected Value* is displayed in the monitor.

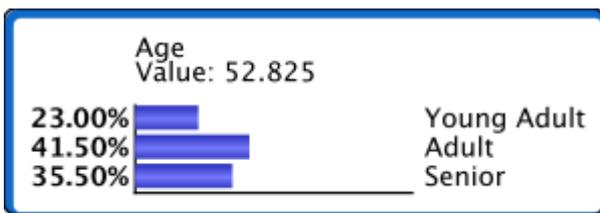
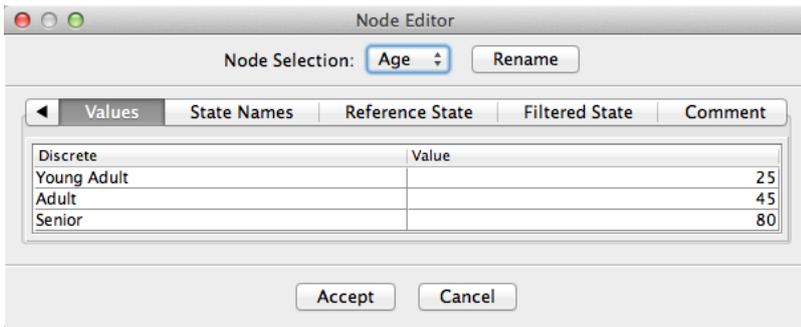
### Example

#### Categorical Variable

Let's take a discrete node *Age* with three categorical states:

- Young Adult
- Adult
- Senior

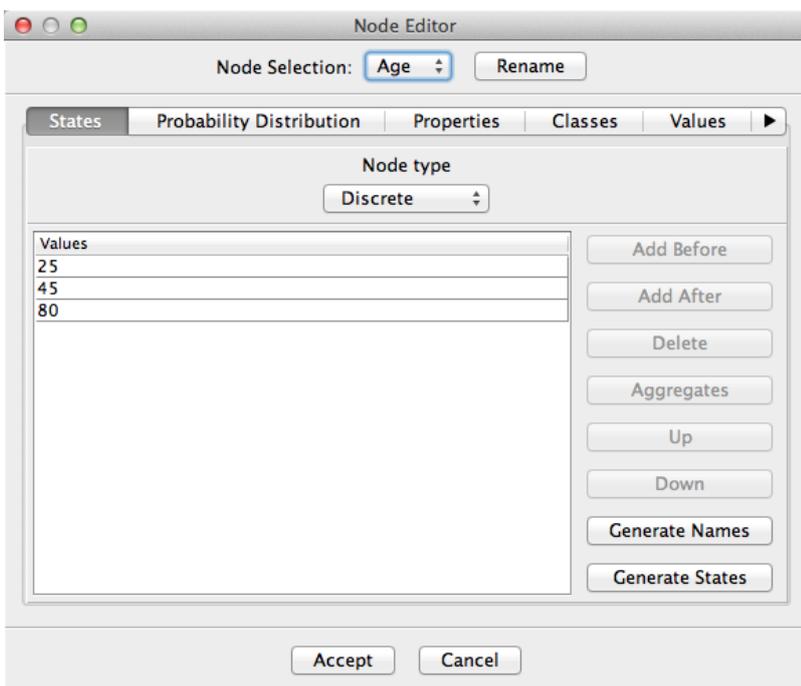
The **Node Editor** allows associating numerical values with these states.



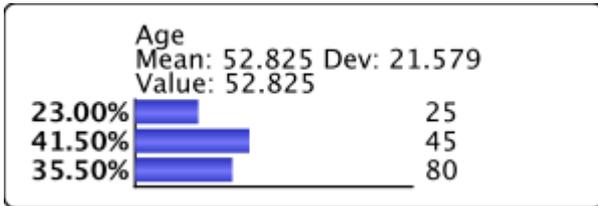
$$v = 0.23 \times 25 + 0.415 \times 45 + 0.355 \times 80 = 52.825$$

#### Discrete Numerical Variable

Let's suppose now that the variable *Age* has three numerical states.

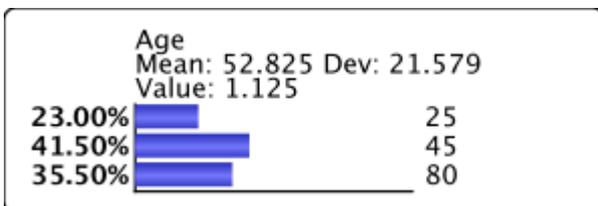
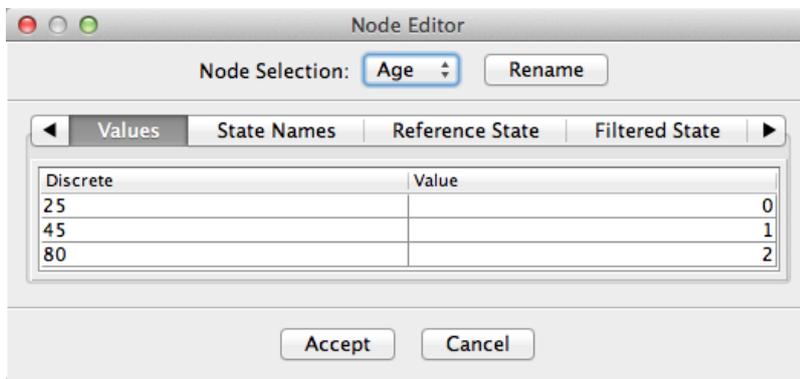


As it's a numerical node, its monitor will have a *Mean* value, a *Standard Deviation* and an *Expected Value*.



When the states do not have any associated values, \$V\_s\$ is automatically set to the numerical value of the state.

Otherwise, the state values defined by the user are used:

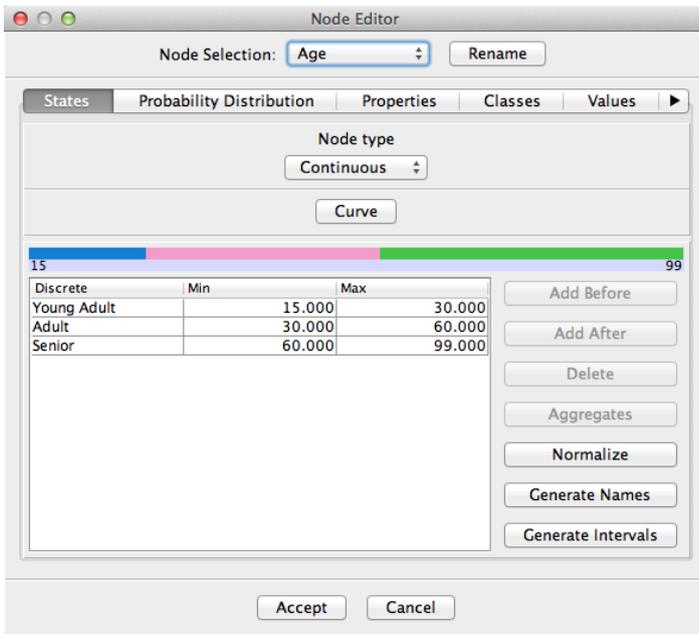


The Mean value  $m$  is computed with the following equation:  $m = \sum_{s \in S} p_s \times c_s$  where  $c_s$  is the numerical value of the state.

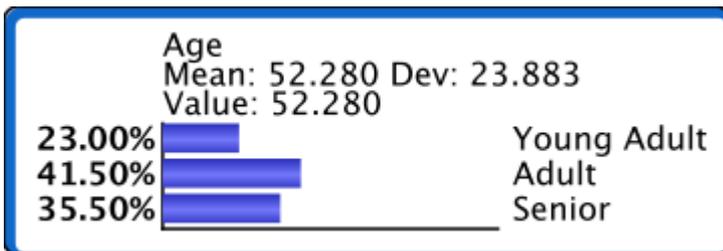
### **Continuous Numerical Variable**

Let's consider now a continuous variable *Age* defined on the domain [15 ; 99], discretized into three states:

- Young Adult: [15 ; 30]
- Adult: ]30 ; 60]
- Senior: ]60 ; 99]



Since it's a numerical node, its monitor has a *Mean* value, a *Standard Deviation* and an *Expected Value* as well.



The Mean value  $m$  is computed with the following equation:  $m = \sum_{s \in S} p_s \times c_s$  where  $c_s$  is the central tendency of the state defined as:

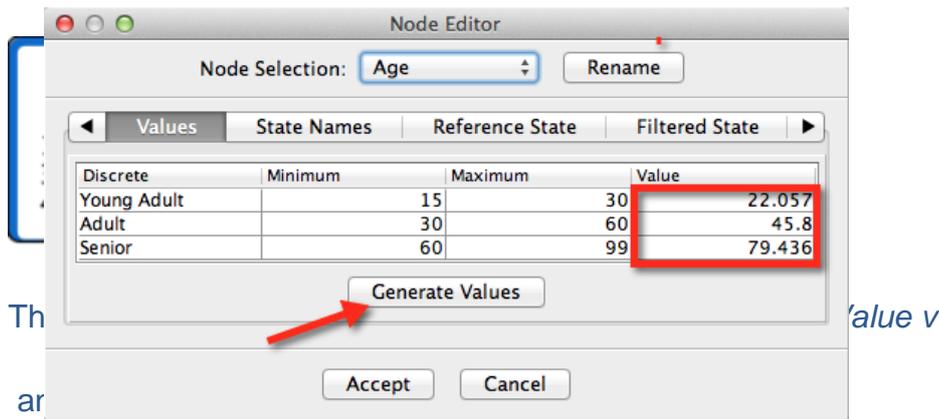
- the mid-range of the state when no data is associated,
- the arithmetic mean of the data points that are associated with the state.

When the states do not have any associated values,  $V_s$  is automatically set to the central tendency of the state.



When a dataset is associated with a continuous variable, clicking on the Generate Values buttons sets the values  $V_s$  to the current arithmetic means.

When new pieces of evidence are set, a the delta value is displayed in the monitor:



- the previous one,
- the one corresponding to the reference probability distribution set with  in the toolbar.

**i** When only some states have an associated value, the Expected Value is computed on the states  $S^*$  that have associated values  $V = \sum_{s \in S^*} \frac{p_s}{P^*} \times V_s$  where  $S^*$  is only made of one state, the node is considered as not having any associated values.